

Heat Engines, Entropy and the Second Law of Thermodynamics



THE SECOND LAW OF THERMODYNAMICS

Second Law of Thermodynamics establishes the processes which do and which do not occur
 This directionality is governed by the second law.

•These types of processes are irreversible.

- An irreversible process is one that occurs <u>naturally</u> in one direction only.
- No irreversible process has been observed to run backwards. لامکن لیملیہ عثر ایجیہ کت تعدیت متریحل محص و مدم ا

•An important engineering implication is the limited efficiency of h<u>eat engine</u>s.

DEFINITIONS



- The <u>heat</u> exchange between the system and the <u>hot reservoir</u> (High temperature) is $|Q_H|$
- The heat exchange between the system and the cold reservoir (Low temperature) is $|Q_L|$
- The work exchange between the system and surroundings is |W|



- If Q_H is larger than $|Q_L|$ and If |W| done by the system, then the machine that cause the system to undergo the cycle called <u>a heat</u> engine.
- •A heat engine is a device that takes in energy by heat and, operating in a cyclic process, expels a fraction of that energy by means of work.

•A heat engine carries some working substance through a cyclical process.

خلال ، لملك المردية متيم المستهلات أو المعتصر م تعفي



HEAT ENGINE, CONT.

 $Q_n \int 100$ (00-20) $Q_1 \int 20$

•Since it is a cyclical process, $\Delta E_{int} = 0$

• Its initial and final internal energies are the same.

•Therefore,
$$W_{eng} = Q_{net} = |Q_h| - |Q_c|$$

•The net work done by a heat engine equals the net energy transferred to it.

التفلى العليج عمر بحرك سادى محطه تحد الطاقة المنعقولة البه

كفارة المعرل THERMAL EFFICIENCY OF A HEAT ENGINE

•Thermal efficiency is defined as the ratio of the net work done by the engine during one cycle to the energy input at the higher temperature. e= out

$$e \equiv \frac{W_{eng}}{|Q_h|} = \frac{|Q_h| - |Q_c|}{|Q_h|} = 1 - \frac{|Q_c|}{|Q_h|}$$

 $e = \frac{W}{Q_h} = 1 - \frac{Q_c}{Q_h}$ $c = \frac{W}{Q_h} = 1 - \frac{Q_c}{Q_h}$ $c = \frac{W}{Q_h} = 0$ $c = \frac{W}{Q_h} = 0$ $c = \frac{W}{Q_h} = 0$ $c = \frac{W}{Q_h} = 0$ •We can think of the efficiency as the ratio of what you gain to what you give.

•In practice, all <u>heat engines</u> expel only a fraction of the input energy by mechanical work.

•Therefore, their efficiency is always less than 100%.

• To have e = 100%, Q_C must be 0 e: 100 (2) (

جرله حزري منابى

PERFECT HEAT ENGINE

م ستم تصدير معاقد للمعزن للبرد •No energy is expelled to the cold reservoir.

•It takes in some amount of energy and does an equal amount of work.

•e = 100%

•It is impossible to construct such an engine.

ی عد خامه و خولها جیما ای مغل

من المحرل التاء هذا المحرك



مخراج القانون التاني . (كلفن الإنار)

 $[Q, \neq W]$

متحلي الكفاد تلون حز

SECOND LAW: KELVIN-PLANCK FORM

•It is impossible to construct a heat engine that, operating in a cycle, produces no effect other than the input of energy by heat from a reservoir and the performance of an equal amount of work.

- W_{eng} can never be equal to $|Q_h|$
- Means that Q_c cannot equal 0 Qc ≠ 0
 Some energy |Qc| must be expelled to the environment

من الحستعمل ان تضخ حرك حرارى دورى لاينبتح طاقة للمخزن، سارد و جميع الفاقة التي تدخل الله كولها اك مختل

• Means that @cannot equal 100%



EXAMPLE

An engine transfers 2.00×10^3 J of energy from a hot reservoir during a cycle and transfers 1.50×10^3 J as exhaust to a cold reservoir. $Q_{H} = 2 \times 10^{3} \text{J}$ $Q_{H} = 2 \times 10^{3} \text{J}$ $Q_{H} = 1.5 \times 10^{3} \text{J}$

• (A) Find the efficiency of the engine.

$$\eta = 1 - \frac{|Q_L|}{|Q_H|} = 1 - \frac{1.50 \times 10^3 \text{ J}}{2.00 \times 10^3 \text{ J}} = 0.250, \text{ or } 25.0\%$$

• (B) How much work does this engine do in one cycle?

 $|W| = |Q_H| - |Q_L| = 2.00 \times 10^3 \text{ J} - 1.50 \times 10^3 \text{ J} = 5.0 \times 10^2 \text{ J}$

TYPE OF HEAT ENGINE



حركات الطارولين GASOLINE ENGINE

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•In a gasoline engine, <u>six processes</u> occur during في كل دوره ميد جنال كالمات each cycle.

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•For a given cycle, the piston moves up and down twice.

•This represents a four-stroke cycle.

•The processes in the cycle can be approximated by the Otto cycle. يتم رح مرك الفازرلين بالاعتماد كار دورة

حرله الضارريني THE CONVENTIONAL GASOLINE ENGINE



otto cycle





OTTO CYCLE

•The PV diagram of an Otto cycle is shown at right.

•The Otto cycle approximates the processes occurring in an internal combustion engine.



GASOLINE ENGINE – INTAKE STROKE

•During the intake stroke, the piston moves downward.

•A gaseous mixture of air and fuel is drawn into the cylinder.

•Energy enters the system by matter transfer as potential energy in the fuel.

•The volume increases from V_2 to V_1 .

 $O \rightarrow A$ in the Otto cycle PV diagram.



GASOLINE ENGINE – COMPRESSION STROKE

The piston moves upward.
The air-fuel mixture is compressed adiabatically.
The volume changes from V₁ to V₂.
The temperature increases.
The work done on the gas is positive and equal to the w= fod negative area under the west of the second second

curve.

 $oA \rightarrow B$ in the Otto cycle PV diagram.

The piston moves up and compresses the mixture.





GASOLINE ENGINE – SPARK

•Combustion occurs when the spark plug fires.

•It occurs very <u>quickly while the</u> piston is at its highest position.

•The combustion represents a rapid energy transformation from potential energy to internal energy تحول طاقه یعنه نخ لو مورد _ای طاقه دانله

• The temperature changes from T_B to T_C but the volume remains approximately the same.

•B → C in the Otto cycle PV diagram.

The spark plug fires and ignites the mixture.





Gasoline Engine – Power Stroke

•In the power stroke, the gas expands adiabatically. •Volume changes from V₂ to V_1 $z_1 z_2$ •The temperature drops نقحان from T_c to T_D •Work is done by the gas $\circ C \rightarrow D$ in the Otto cycle PV diagram

The hot gas pushes the piston downward.





Gasoline Engine – Valve Opens

•This is process $D \rightarrow A$ in the Otto cycle PV diagram

•An <u>exhaust valve</u> opens as the piston reaches its bottom position. معرفات حصولا

•The pressure drops suddenly. •The volume is approximately constant.

So no work is done

•Energy is expelled from the interior of the cylinder.

• It continues to be expelled during the next process.

The exhaust valve opens, and the residual gas escapes.





Gasoline Engine – Exhaust Stroke

•In the exhaust stroke, the piston moves upward while the exhaust valve remains open.

•Residual gases are expelled to the atmosphere •The volume decreases from V_1 to V_2 . • $A \rightarrow Q$ in the Otto cycle PV diagram

•The cycle then repeats

The piston moves up and pushes the remaining gas out.





محفادة

OTTO CYCLE EFFICIENCY, CONT

•If the <u>air-fuel</u> mixture is assumed to be an <u>ideal gas</u>, then the efficiency of the Otto cycle is



OTTO CYCLE EFFICIENCY, CONT



وعمات المرارية والتكاجمة

HEAT PUMPS AND REFRIGERATORS

•Heat engines can run in reverse.

- This is not a natural direction of energy transfer.
- Must put some energy into a device to do this
- Devices that do this are called heat pumps or refrigerators
- •Examples
 - A refrigerator is a common type of heat pump.
 - An air conditioner is another example of a heat pump.





فضخه مراريه همالية PERFECT HEAT PUMP

•Takes energy from the cold reservoir

- •Expels an equal amount of energy to the hot reservoir
- •No work is done

•This is an impossible heat pump

W = 0 $Q_{h}: Q_{L}$

Porle Ct

An impossible heat pump



صفي احرى لقادون الدينامي الحرارية الكاني

SECOND LAW – CLAUSIUS FORM

oIt is impossible to construct a cyclical machine whose sole effect is to transfer energy continuously by heat from one object to another object at a higher temperature without the input of energy by work.
 over a state of transfer spontaneously by heat from a cold object to a hot object.

مستحل انتعال الطامة مستحل تلعائي من ممم بارد اكام مم افن

معامل 'لا د ار COEFFICIENT OF PERFORMANCE

•The effectiveness of a heat pump is described by a number called the **coefficient of performance** (COP).

•Similar to thermal <u>efficiency</u> for a heat engine

• It is the ratio of what you gain (energy transferred to or from a reservoir) to what you give (work input).

ين الطاقة و الثفر الراهل



•A good refrigerator should have a high COP.

• Typical values are 5 or 6



COP, HEATING MODE

•In **heating mode**, the COP is the ratio of the heat transferred in to the work required.

 $COP = \frac{energy \ transferred \ at \ high \ temp}{work \ done \ by \ heat \ pump} = \frac{|Q_h|}{W}$



Q_h is typically higher than W
Values of COP are generally about 4
For outside temperature about 25° F
The use of heat pumps that extract energy from the air is most satisfactory in moderate climates.

عبر عديد REVERSIBLE AND IRREVERSIBLE PROCESSES

•A reversible process is one in which every point along some path is an equilibrium state.

- And one for which the system can be <u>returned</u> to its <u>initial</u> state along the same path. ^{تتق}بع النفاح ان معرد الحالة:
- •An irreversible process does not meet these
- requirements. كار لم ليات الطبيب حي عمليات عن علية
 - All natural processes are known to be <u>irreversible</u>.
 - <u>Reversible</u> processes are an <u>idealization</u>, but some real <u>processes</u> are good approximations.

العليات العكيه صياصتالب للحن معجا المعليات معتير كتربه

REVERSIBLE AND IRREVERSIBLE من لعليات التي علين نير سيلها واعتبارها محيد هي رعمليات التي تحد •A real process that is a good approximation of a reversible one will occur very slowly. • The system is always very nearly in an equilibrium سبجماء ستديد ويتى النمام فيها معاطط علا الزيزان state. •A general characteristic of a reversible process is that there are no dissipative effects that convert mechanical energy to internal energy present.

قستبر، العملي العكت عليات عاسم منها متبدير للطاقة او حوف الطاقة المسجانيكم الأطاقة دافله

• No friction or turbulence, for example

REVERSIBLE AND IRREVERSIBLE PROCESSES, SUMMARY



The gas is compressed slowly as individual grains of sand drop onto the piston. Energy reservoir

ج لی کادنوس

CARNOT ENGINE

•A theoretical engine developed by Sadi Carnot •A heat engine operating in an ideal, reversible cycle (now called a <u>Carnot cycle</u>) between two reservoirs is the most efficient engine possible

This sets an upper limit on the efficiencies of all other engines.
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- All real engines are less efficient than a Carnot engine because they do not operate through a reversible cycle. معرك المراب لا تروي عليار عكية
- The efficiency of a real engine is further reduced by friction, energy losses through conduction, etc.





https://www.youtube.com/watch?v=s3N_Q JVucF8

CARNOT CYCLE, A to B

 $\circ A \rightarrow B$ is an isothermal expansion.

•The gas is placed in contact with the high temperature reservoir, T_h .

The gas absorbs heat | Q_h |.
The gas does work W_{AB} in

raising the piston.

Q = W T=0



 $A \rightarrow B$ The gas undergoes an isothermal expansion.

CARNOT CYCLE, B to C



CARNOT CYCLE, C to D

•The gas is placed in thermal contact with the cold t<u>emperature reservoi</u>r.

 $\circ C \rightarrow D$ is an isothermal compression.

 $W = Q_c$

•The gas expels energy Q_{cl} •Work W_{CD} is done on the gas. C→D The gas undergoes an isothermal compression.

Energy reservoir at T_c

C

CARNOT CYCLE, D to A

 $oD \rightarrow A$ is an adiabatic compression.

•The base is replaced by a thermally nonconducting wall.

• So no heat is exchanged with the surroundings.

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•The temperature of the gas increases from T_c to T_{h} . •The work done on the gas is W_{DA} .

	$D \rightarrow A$ The gas undergoes an adiabatic compression. Q = 0
Thermal insulation	
а	471

CARNOT CYCLE, PV DIAGRAM

The work done •The work done by the engine is P during the cycle shown by the area enclosed by the curve, $W_{eng.}$ equals the area enclosed by the path A • The net work is equal to $|Q_h|$ $-|Q_c|$. on the PV diagram. $\circ \Delta E_{\text{int}} = 0$ for the entire cycle Q_h اع احد رک محصورة = W Weng $W = Q_{h} - Q_{c}$ D = D = 0

EFFICIENCY OF A CARNOT ENGINE

•Carnot showed that the efficiency of the engine depends on the temperatures of the reservoirs.

$$e = \frac{W_{eng}}{|Q_h|} = 1 - \frac{|Q_c|}{|Q_h|} = 1 - \frac{T_c}{T_h}$$

•Temperatures must be in <u>Kelvins</u>

•All Carnot engines operating between the same two temperatures will have the same efficiency.

کفاد، حرلت کاریوز تصمی کی درجات الجاره

NOTES ABOUT CARNOT EFFICIENCY

Efficiency is <u>0</u> if T_h = T_c
Efficiency is <u>100%</u> only if T_c = 0 K
Such reservoirs are not available
Efficiency is always less than <u>100%</u>
The efficiency increases as T_c is lowered and as T_h is raised. *L*(*L*(*L*(*L*)), *L*(*L*)), *L*(*L*))), *L*(*L*)), *L*(*L*))), *L*(*L*))), *L*(*L*))), *L*(

• So generally T_h is raised to increase efficiency.

CARNOT CYCLE IN REVERSE

•Theoretically, a Carnot-cycle heat engine can run in reverse.

من كفءة This would constitute the <u>most effective heat</u> pump available.

•This would determine the maximum possible <u>COPs</u> for a given combination of hot and cold reservoirs.

CARNOT HEAT PUMP COPS

•In heating mode:



•In cooling mode:

$$COP_{c} = \frac{\left|Q_{c}\right|}{W} = \frac{T_{c}}{T_{h} - T_{c}}$$

•In practice, the COP is limited to values below 10.



EXAMPLE

An ideal gas is taken through a Carnot cycle. The isothermal expansion occurs at 250°C, and the isothermal compression takes place at 50.0°C. The gas takes in 1200 J of energy from the hot reservoir during the isothermal expansion. Find (a) the energy expelled to the cold reservoir in each cycle and (b) the net work done by the gas in each cycle. Q1 $\frac{W}{Q_H} = \frac{Q_H - Q_L}{Q_H} = 1 - \frac{Q_L}{Q_H} = 1 - \frac{T_C}{T_H}$

• Isothermal expansion at
$$T_{H} = 523$$
 K

a)
$$\frac{Q_L}{Q_H} = \frac{T_C}{T_H}$$
 \longrightarrow $Q_L = Q_H \frac{T_C}{T_H}$ \longrightarrow $Q_L = 1200 \frac{323}{523} = 741J$

(b)
$$W = Q_H - Q_L$$
 \longrightarrow $W = 1200 - 741 = 459J$

$$Q_{2} = Q_{H} \frac{T_{c}}{T_{H}} = 1200 \frac{3^{2}}{5^{2}3} = 7415$$
$$W = Q_{H} - Q_{L} = 1200 - 741 = 4595$$

Entropy

The zeroth law of thermodynamics involves the concept of temperature, and the first law involves the concept of internal energy. Temperature and internal energy are both state variables; that is, the value of each depends only on the thermodynamic state of a system, not on the process that brought it to that state. Another state variable—this one related to the second law of thermodynamics is entropy. energy (State Vanable) instruction Temperatur

ENTROPY

•The importance of entropy grew with the development of <u>statistical mechanics</u>. •Entropy is a natural measure of the disorder.

The 2nd Law of Thermodynamics

In any spontaneous process there is always an increase in the entropy of the universe.

في عملية تلقاشي دانيًا لما جه زماره في الاسرَد بي



Temperature (K)





ENTROPY

Gases will spontaneously and uniformly mix because the mixed state has more possible arrangements (a larger value of macrostate and higher entropy) than the unmixed state.





Change in Entropy of the universe



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 $\Delta S_{
m sys}$

Entropy can be viewed as the *dispersal or* randomization of energy.

الانتردبي في عن ششتية وعسواليه الطاحة

ENTROPY AND HEAT

• The original formulation of entropy dealt with the transfer of energy by heat in a reversible process. • Let dQ_r be the amount of energy transferred by heat when a system follows a reversible path. • The change in entropy, dS is

 $\Delta S = \int_{i}^{t} dS = \int_{i}^{t} \frac{dQ_{r}}{T}$ $I = \int_{i}^{t} \frac{dQ_{r}}{T}$

• The change in entropy depends only on the <u>endpoints</u> and is <u>independent</u> of the actual path followed.

•The entropy change for an <u>irreversible</u> process can be determined by calculating the change in entropy for a reversible process that connects the same initial and final points.



MORE ABOUT CHANGE IN ENTROPY

 $\circ dQ_r$ is measured along a reversible path, even if the system may have followed an irreversible path. $\bigtriangleup =$

•The meaningful quantity is the change in entropy and not the entropy itself.

•For a finite process, T is generally not constant during process.

$$\Delta S = \int_{i}^{f} dS = \int_{i}^{f} \frac{dQ_{r}}{T}$$

•The change in entropy of a system going from one state to another has the same value for all paths connecting the two states.

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ف نعام معلية د نيماً عم

 $\Box f an irreversible process occurs in a closed system, the change in entropy \Delta S of t system always increases; it never decreases.$

□Unit of △S is J/K, The change in entropy depends only on the endpoints and is independent of the actual path followed.

ΔS for a Reversible Cycle

∆S = 0 for any reversible cycle
In general,

$$\Delta S = S_f - S_i = \int_i^f dS = \int_i^f \frac{dQ_r}{T}$$



• This integral symbol indicates the integral is over a closed path.

- When energy is absorbed by the system, *dQr* is positive and the entropy of the system increases.
- When energy is expelled by the system, *dQr* is negative and the entropy of the system decreases.



$$\sum_{i=1}^{n} \sum_{i=1}^{n} \frac{1}{2} \sum_{i=1}^{n}$$

A solid that has a latent heat of fusion L_f melts at a temperature T_m . Calculate the change in entropy of this substance when a mass m of the substance melts.

$$\Delta S = \int_{i}^{f} \frac{dQ}{T}$$

$$\Delta S = \frac{1}{T_{m}} \int_{i}^{f} \frac{dQ}{T_{m}} = \frac{Q}{T_{m}}$$

$$\Delta S = \frac{mL_{f}}{T_{m}}$$

$$\Delta S = \frac{mL_{f}}{T_{m}}$$

$$\Delta S = \frac{mL_{f}}{T_{m}}$$

$$\Delta S = \frac{mL_{f}}{T_{m}}$$

A Styrofoam cup holding 125 g of hot water at 100°C cools to room temperature, 20.0°C. What is the change in entropy of the room? Neglect the specific heat of the cup and any change in temperature of the room.

$$\Delta S = \frac{\Delta \Theta}{T} = \frac{0.125 \times 413 \times 89}{2 \times 3} \quad Q_{room} = (mc|\Delta T|)_{water}$$

$$\Delta S = \frac{Q_{room}}{T} = \frac{(mc|\Delta T|)_{water}}{T} = \frac{0.125 \text{ kg}(4 \ 186 \ \text{J/kg} \cdot ^{\circ}\text{C})(100 - 20)^{\circ}\text{C}}{293 \text{ K}} = 143 \text{ J/K}$$

ENTROPY CHANGES IN NON-ISOLATED SYSTEMS

•The increase in entropy described in the second law is that of the system and its surroundings.

•When a system and its surroundings interact in an irreversible process, the increase in entropy of one is greater than the decrease in entropy of the other.

•The change in entropy of the Universe must be greater than zero for an irreversible process and equal to zero for a reversible process.





 $\Delta S = c$

DS ≠0

ENTROPY CHANGES IN IRREVERSIBLE PROCESSES

•To calculate the change in entropy in a <u>real</u> system, remember that entropy depends only on the state of the system.

• Do not use \underline{Q} , the actual energy transfer in the process.

- Distinguish this from Q_r , the amount of energy that would have been transferred by heat along a reversible path.
- Q_r is the correct value to use for ΔS .



20.3 Change in Entropy: Entropy is a State Function

Suppose that an ideal gas is taken through a reversible process, with the gas in an equilibrium state at the end of each step.

For each small step, the energy transferred as heat to or from the gas is <u>dQ</u>, the work done by the gas is dW, and the change in internal energy is dE_{int} .

 $dE_{in} = dQ - dW$ $dE_{\rm int} = dQ - dW.$ We have: nGAT - dG- PdV Since the process is reversible, dW = p dV and $dE_{int} = nC_V dT$. de = Pdv+nCvbT $dQ = p \, dV + nC_V \, dT.$ Therefore, Using ideal gas law, we obtain: $\frac{dQ}{T} = nR\frac{dV}{V} + nC_V\frac{dT}{T}.$ Integrating, $\int_{i}^{f} \frac{dQ}{T} = \int_{i}^{f} nR \frac{dV}{V} + \int_{i}^{f} nC_{V} \frac{dT}{T}.$ $\Delta S = nR \int \frac{dr}{r} + nCr \int \frac{d\Gamma}{T}$

Finally, $\Delta S = S_f - S_i = nR \ln \frac{V_f}{V_i} + nC_f \ln \frac{T_f}{T_i}$.

The change in entropy ΔS between the initial and final states of an ideal gas depends only on properties of the initial and final states; ΔS does not depend on how the gas changes between the two states. DS=NR JUE + NC, h

ΔS in Thermal Conduction

•The cold reservoir absorbs energy Q and its entropy changes by $Q/T_{c.}$

•At the same time, the hot reservoir loses Q and its entropy changes by $-Q/T_{h}$.

•Since $T_h > T_c$, the increase in entropy in the cold reservoir is greater than the decrease in entropy in the hot reservoir.

•Therefore, $\Delta S_U > 0$

• For the system and the Universe

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 $DS_{u} = +$

EXAMPLE

An irreversible engine operating between the temperatures of 550 K and 300 K extracts 1200 J of heat from the hot reservoir and produces 450 J of work. How much is the change in entropy in the process? $\Delta S = \frac{Q_c}{T} - \frac{Q_h}{T_c}$ 550 300 Ds-Qn Ag= W = 450/ $T_h = 550J$ $T_c = 300J$ $Q_h = 1200 J$ $\therefore Q_c = 1200 - 450 = 750$ Qu $\Delta S = \frac{750}{300} - \frac{1200}{550} = +0.318 J/K$ $W = Q_{H} - Q_{C}$ $450 = 1200 - Q_{C}$ $\Delta s = \Delta S_{-}$ 0.319K Qc = 1200-450 = 750

ΔS in a Free Expansion

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•Consider an adiabatic free expansion.

•This process is <u>irreversible</u> since the gas would not spontaneously crowd into half the volume after filling the

entire volume .

• Q = 0 but we need to find Q_r • Choose an isothermal, reversible expansion in which the gas pushes slowly against the piston while energy enters from a reservoir to keep T constant.

$$\Delta S = \int_{i}^{f} \frac{dQ_{r}}{T} = \frac{1}{T} \int_{i}^{f} dQ_{r}$$

When the membrane is ruptured, the gas will expand freely and irreversibly into the full volume.



ΔS in Free Expansion, cont

•For an isothermal process, this becomes

$$\Delta S = nr \ln \frac{V_f}{V_i}$$

•Since $V_f > V_i$, ΔS is positive

•This indicates that both the entropy and the disorder of the gas increase as a result of the irreversible adiabatic expansion .

$$DS = nrh \frac{VF}{4}$$



 $DS = nRh \frac{V_{f}}{V_{c}} + nc_{f} \frac{J_{f}}{T_{c}}$

EXAMPLE

One kilogram of water at 0°C is heated to 100°C. Compute its change in entropy. $V_4 = V_1$ $\Delta S = S_2 - S_1 = \int_{T_1}^{T_2} \frac{dQ}{T}$ $\Delta S = \left(\frac{d\varphi}{d\varphi}\right)$ $\Delta s = mc \mathcal{Y}_{f}$ dQ = mcdTDS = [mcdr $\Delta S = mc \int_{T_1}^{T_2} \frac{dT}{T} = mc \ln \frac{T_2}{T_1}$ 5,1600 $\Delta S = 1000 \times 4.168 \ln \frac{373}{273} = 1308 J/K$ $mc \int_{t_{c}} \frac{JI}{T} = mc \int_{t_{c}} \frac{T_{e}}{T_{c}} = \frac{1000 \times 4.168 \ln \frac{373}{273}}{T_{c}} = \frac{1000 \times 4.168 \ln \frac{100}{2}}{T_{c}} = \frac{1000 \times 4.168 \ln \frac{100}{2}}$ = 1308 J/K

HEAT DEATH OF THE UNIVERSE

•Ultimately, the entropy of the Universe should reach a maximum value.

•At this value, the Universe will be in a state of uniform temperature and density.

•All physical, chemical, and biological processes will cease. هم الالعرجب طابق متعمر لاي المقالية المعادي المعادي المعادي المعادي المعادي المعادي المعادي المعادي

- The state of perfect disorder implies that no energy is available for doing work.
- This state is called the heat death of the Universe.

ENTROPY AND THE SECOND LAW

•Entropy is a measure of disorder.

•The entropy of the Universe increases in all real processes.

• This is another statement of the second law of thermodynamics.

• It is equivalent to the Kelvin-Planck and Clausius statements.